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A formal semantics for ASN.1

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What is ASN.1?

- A data description language
- Describes the structure of data to be transmitted over wires (cf. XML schemas)
- Conventional collection of primitive data types: booleans, integers, strings, time types; plus enumerations, records, sum types

- Choice of several encoding schemes
- Specifications can span several modules
- Modules can be mutually-referential

ASN.1 is everywhere

- Many IETF RFCs
- X.509, SNMP, X.400, X.500
- SSL/TLS
- Code for ASN.1 types in every OS, browser



Example ASN.1 module

```
MyModule
DEFINITIONS ::=
BEGIN
EXPORTS ALL;
IMPORTS;
```

T0 ::= [1] INTEGER x T0 ::= 42

T2 ::= [2] BIT STRING { a(1), b(x), c(3) } v2 T2 ::= c

END

Vision: High Assurance ASN.1 Workbench



Why a formal semantics?

- Except for the grammar defining the syntax, ASN.1 is specified entirely in English
- The ITU X.680 spec is mostly about syntax, not semantics
- Some of the subtleties are explained using examples in Annexes - not dispositive
- There's no reference implementation
- Potential for error if different compilers used for encoder and decoder

What to do with the semantics?

- Determine which ASN.1 specifications are legal
- If not legal, why not
- Give a meaning for a legal specification mean

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• Exposes subtleties and ambiguities

Who wants a semantics?

- Tool implementers
- Users of ASN.1 tools
- ASN.1 specification writers
- ASN.1 standards writers
- Galois
 - Proof-of-concept compiler

- Interpreter
- Verifying compiler

What kind of semantics?

- Denotational semantics: mapping from source syntax to wellunderstood mathematical meaning
 - Meaning of a syntax phrase is compositional in the meaning of its subphrases
- In an ASN.1 specification, the interesting phrases are type assignments, like

T1 ::= INTEGER { x(42) }

• And value assignments:

v1 T1 ::= 5280



•An ASN.1 compiler generates an encoder and decoder for each defined type

•So the semantics associates encoders and decoders with the types in type assignments

Compositionality of denotations

•Meaning of aggregate types, such as SEQUENCE, depends on the meaning of their components

•Meaning of a module is the union of the meanings for each type and value defined, producing type and value environments for the module

•Meaning of a set of modules is the union of the meaning of the modules, yielding global type and value environments

Formal semantics: precedents

- R5RS, the last-published standard for Scheme, contained a denotational semantics for the lambda-calculus core
- The Standard ML programming language has had two versions of a formal semantics (1990, revised in 1997)
 - The ML Kit started as a direct implementation of the formal semantics
 - Compiler implementers can use the Kit as a check on their work, and a vehicle for experimentation

Scope of the semantics

The semantics covers a subset of ASN.1:

- X.680 only; no parameterization, no information objects, no general constraints
- No extensibility for enumerations, SEQUENCE, etc.
- No XML
- Supported types: BOOLEAN, INTEGER, ENUMERATED, BIT STRING, OCTET STRING, NULL, SEQUENCE/OF, SET/OF, CHOICE, OBJECT IDENTIFIER, RELATIVE-OID, most strings, time types

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• Constraints: single value, range, size

The rest of the talk

- What does the semantics look like?
- How the semantics handles encoding rules

- Ambiguities and infelicities
- Type and value compatibility
- Status

Denotations in code

- ASN.1 syntax maps to Haskell expressions - An executable specification!
- We already have a representation of ASN.1 syntax from proof-of-concept compiler; some other recycled code
- Advantage of Haskell: the type system documents our logic and checks our work
- Meaning of a type assignment is an encoder / decoder pair, i.e., a pair of Haskell functions (plus some other administrative data)

Semantics for BOOLEAN

```
mk en de bool :: MkEnDe
mk_en_de_bool = MkEnDe $ pairFuns mk_en_bool mk_de_bool
 where
  mk en bool tags = Encoder $
   \(ASN1Boolean b) ->
     DataStream [(tags,PrimDatum $ PrimBool b)]
  mk de bool tags = Decoder $
   (\ds -> case headDataStream ds of
        (tags', PrimDatum (PrimBool b))
                                                            | taqs ==
tags'
          -> Just (ASN1Boolean b,tailDataStream ds)
```

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_ -> Nothing)

Semantics for SEQUENCE

```
seqTyMeaning asn1Envs tyNm ty mp synTags ctls =
case ctls of
SimpleComponents comTys ->
checkedMaybe (distinctElts $ map comTyNm comTys)
  (do
    compEnvs <- getComponentEnvs asn1Envs mp comTys
    Just $ mkSequenceCoders asn1Envs mp tyNm ty synTags
    compEnvs)</pre>
```

```
getComponentEnvs :: ASN1_Envs -> ModuleParameters ->
[ComponentType] -> Maybe [ComponentEnv]
```

```
mkSequenceCoders :: ASN1_Envs -> ModuleParameters ->
IdentType -> Type -> [SyntacticTag] -> [ComponentEnv] ->
TypeEnv
```

-- | meaning of a single module moduleMeaning :: ASN1_Envs -> ModuleDefinition -> Maybe ASN1_Envs moduleMeaning asn1Envs md = moduleBodyMeaning asn1Envs mb mp where mb = moduleBody md mp = moduleParmsFromModule md

Input environments are global; result is for this module only

Solving for environments

- The global environments input includes the per-module environments
 - For a single module, the input and output is the same environment pair

moduleMeaning ::

ASN1_Envs -> ModuleDefinition -> Maybe ASN1_Envs

• Haskell's lazy evaluation allows such recursive definitions

Other data in type environments

The encoder/decoder pairs are parameterized over lists of tags

We associate lists of tags for each type:

T1 ::= [1][2][42] INTEGER T2 ::= [18] T1

When encoding a T2 value, there are five tags to deal with

We also store any constraints associated with a type, to check values to be encoded, or the results of decoding

Alternative representations?

- Semantics should be a resource for ASN.1 users and implementers
- For broader dissemination, we could express the semantics as conventional mathematics

- A big job about 5000 Haskell LOC
- For development, Haskell is type-checked, and it's executable

Abstracting over encodings

- There are several sets of rules for encoding types (BER, DER, PER, XER); plus roll-your-own encodings
- We split the semantics into encoding-independent and encoding-specific layers
- In the encoding-independent layer, we produce *abstract encodings*, which we call *data streams*

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• No octets

Example data stream

Given the type assignment

T1 ::= [101] BOOLEAN

here's the encoding of the value TRUE:

```
DataStream [ ([SemanticTag {semTagValue = ContextTag 101,
semTagApp = TaggedExplicit},
SemanticTag {semTagValue = UniversalTag BooleanTag,
semTagApp = TaggedExplicit}],
PrimDatum (PrimBool True))]
```

This is human-readable, unlike an octet list

Given the type

```
SEQUENCE { foo INTEGER, bar BOOLEAN }
```

the encoding of { foo 42, bar TRUE } yields:

```
DataStream

[([SemanticTag {semTagValue = UniversalTag SequenceTag,

semTagApp = TaggedExplicit}],

AggregateToken SequenceToken),

([SemanticTag {semTagValue = UniversalTag IntegerTag,

semTagApp = TaggedExplicit}],

PrimDatum (PrimInteger 42)),

([SemanticTag {semTagValue = UniversalTag BooleanTag,

semTagApp = TaggedExplicit}],

PrimDatum (PrimBool True))]
```

From abstract to concrete

- Encodings are a vital part of the semantics of ASN.1
- An abstract data stream contains all the information we need to produce octets for any encoding (that's the goal, at least)
- Some information could be lost when going to the concrete level
 For example, IMPLICIT tags overwrite other tags, so we couldn't recapture the original abstract data stream from octets alone
- We've implemented a translation between abstract data streams and DER

•We build decoder when encoding, so no information is lost

Type/value compatibility

- X.680 Annex B contains complicated notions of "identical type definitions" and "value mappings" between types
 - Not clear how to use these concepts, except from examples
 - Are examples exhaustive?
- Semantics uses a more principled notion of type and value compatibility

Type/value compatibility, cont.

a T1 ::= v -- v is some value notation b T2 ::= a c T3 ::= b

we assess

- the value/type compatibility of v and T1
- the value/type compatibility of v and T2
- the value/type compatibility of v and T3
- the type/type compatibility of T1 and T2
- the type/type compatibility of T2 and T3

Type/value compatibility, cont.

where :> means

"there's at least one instance of the RH type that can be mapped to the LH type"

Even more principled ...

- We're working on a set of inference-rule style type rules
- Effectively the same as the code in the semantics, more elegantly presented
- To be shared between semantics and interpreter implementation



Lacunae

- Check that each type is instantiable, i.e., has at least one finite instance
- Consider:
 - T1 ::= SEQUENCE { x BOOLEAN, y T1 }
 - Only infinite values in this case
 - Uninstantiability can be more subtle
- Algorithm by Rinderknecht could be added to semantics
- We're not checking that values appearing in a constraint contains at least one value denoted by the parent type:

```
INTEGER (15..42) (11..14)
```

Status

•Coded, reviewed at Galois, outside semantics expert

•Tests:

- Manual tests of each data type
- Automatically generated tests, including multiple modules
- Round-trip = encode/decode tests
- •Review of semantics against X.680, clause-by-clause
 - Semantics is annotated with relevant sections of X.680
- •Using semantics as a reference implementation for interpreter testing

- Tried large number of QuickCheck-generated modules
- Automated test harness

- •Add support for more of ASN.1 to semantics
- •Use implementation of type inference rules

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•Check for type instantiability